

Introduction to EES - 1

2.60/2.62/10.390 Fundamentals of Advanced Energy Conversion

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Credits: Adapted from the presentations created by Xiaoyu Wu and Aniket Patankar for 2.60

Introduction to EES (Engineering Equation Solver)

EES is a computational platform and it can do the following:

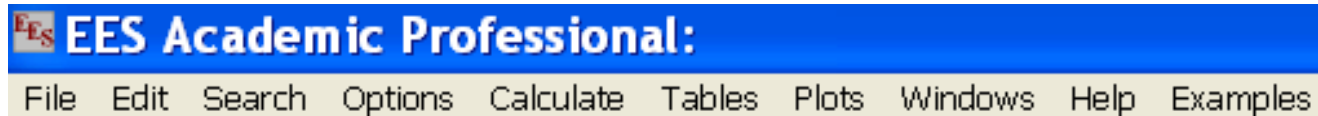
- Derive numerical solution of a set of *non-linear algebraic equations*
- Solve differential and integral equations
- Perform *parametric studies*, optimization, uncertainty analysis and linear/non-linear regression

Highlights

- *Thermo-physical* property and transport properties
- Equations and unknowns to be entered in *any order*

EES Commands

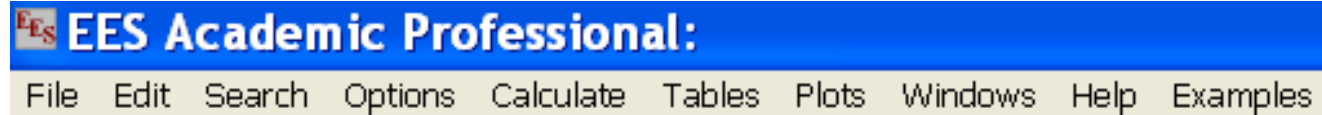
- 10 pull down menus in the ribbon



- **File**
- **Edit**
- **Search:** Find and replace
- **Options:** Information and preference
- **Calculate:** Solve, Check Units, etc.

EES Commands (cont.)

- 10 pull down menus in the ribbon

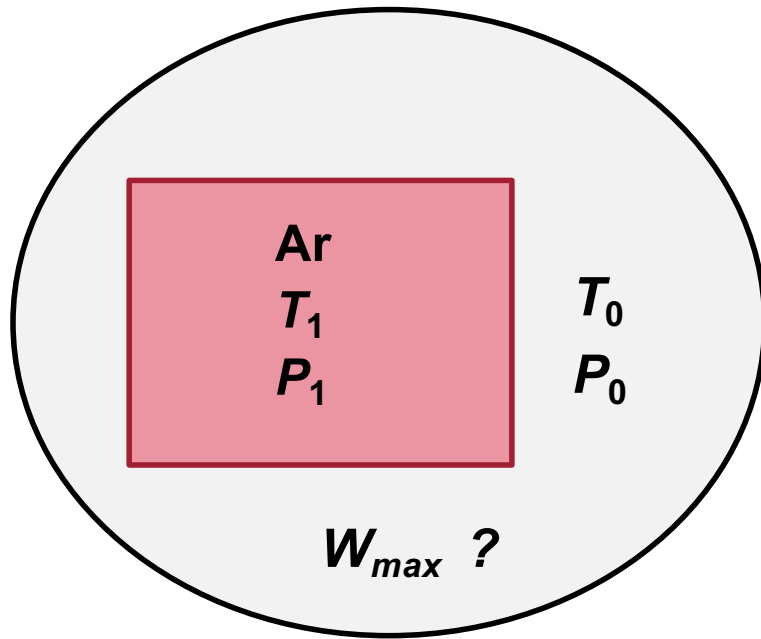


- **Tables:** Parametric studies
- **Plots:** Plot data in the Parametric studies
- **Windows**
- **Help**
- **Examples:** good to explore

*You'll probably be using
the toolbar more often!*

Example 1: Maximum work

- A gas tank contains 1 kg Argon at $T_1 = 500$ K, $P_1 = 1$ bar.
- Environment $T_0 = 300$ K, $P_0 = 1$ bar
- **What is the maximum work of the gas tank?**



$$W_{\max} = (E_1 - T_0 S_1 + p_0 V_1) - (E_0 - T_0 S_0 + p_0 V_0)$$

(Refer slide 12 from lecture 2)

1. Enter known quantities

- Start EES and enter the following in the *Equations Window*.
- What are the knowns?

T_0
 P_0
 T_1
 P_1
 M
 ρ
 R
 C_p
 C_v

"knowns"
T_0 = 300 [K]
P_0 = 1*10^5 [Pa]
T_1 = 500 [K]
P_1 = 1*10^5 [Pa]
M = 1 [kg]
rho = 1.784 [kg/m^3]
R = 208 [J/kg-K]

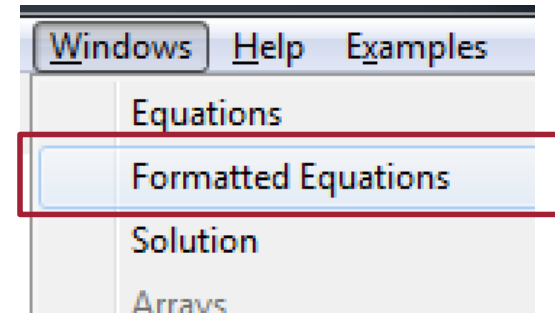
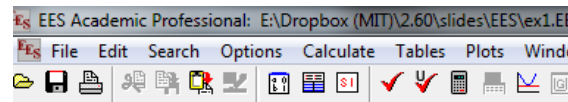
C_p = 523 [J/kg-K]
C_v = 315 [J/kg-K]

- Comments must enclosed within { } or " "
- Units → in []
- Blank lines and spaces → ignored

- Variable **start with a letter**
- Upper and lower case → **NOT** distinguished

2. Formatted Equations

- Equations in mathematical notation (**recommended Psets format**)
 - Select **Formatted Equations** in **Windows** menu.



knowns

T₀: Subscript

$$T_0 = 300 \text{ [K]}$$

$$P_0 = 1 \cdot 10^5 \text{ [Pa]}$$

$$T_1 = 500 \text{ [K]}$$

$$P_1 = 1 \cdot 10^5 \text{ [Pa]}$$

$$M = 1 \text{ [kg]}$$

rho: Greek letter

$$\rho = 1.784 \text{ [kg/m}^3\text{]}$$

$$R = 208 \text{ [J/kg-K]}$$

$$C_p = 523 \text{ [J/kg-K]}$$

$$C_v = 315 \text{ [J/kg-K]}$$

3. Enter equations

"Maximum Work"

$$W_{\max} = (E_1 - T_0 S_1 + P_0 V_1) - (E_0 - T_0 S_0 + P_0 V_0)$$

$$E_1 = M C_v T_1$$

$$E_0 = M C_v T_0$$

$$V_1 = M R T_1 / P_1$$

$$V_0 = M R T_0 / P_0$$

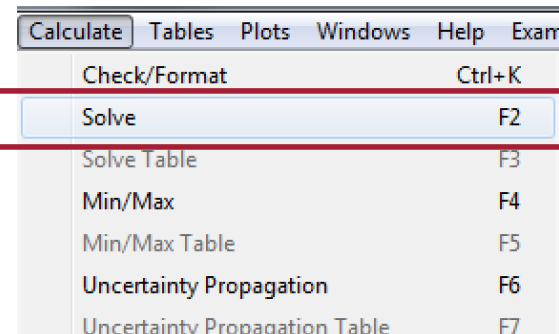
$$S_1 = M C_p \ln(T_1) - M R \ln(P_1)$$

$$S_0 = M C_p \ln(T_0) - M R \ln(P_0)$$

- Variables are defined.

• To calculate

- **Solve** in **Calculate** menu.



4. Check solutions

- Solutions

Main

Unit Settings: SI C kPa J mass deg

- Solution →

$C_p = 523$ [J/kg-K]	$C_v = 315$ [J/kg-K]	$E_0 = 94500$	$E_1 = 157500$
$M = 1$ [kg]	$P_0 = 100000$ [bar]	$P_1 = 100000$ [bar]	$R = 208$ [J/kg-K]
$\rho = 1.784$ [kg/m ³]	$S_0 = 588.4$	$S_1 = 855.6$	$T_0 = 300$ [K]
$T_1 = 500$ [K]	$V_0 = 0.624$	$V_1 = 1.04$	$W_{\max} = 24451$

- Unit → 9 potential unit problems were detected.

- Time → Calculation time = .0 sec.

What is the problem?

Undefined units in equation

EES Academic Professional: E:\Dropbox (MIT)\2.60\slides\EES\ex1.E

File Edit Search Options Calculate Tables Plots Wind



"knowns"

$$T_0 = 300 \text{ [K]}$$

$$P_0 = 1 \cdot 10^5 \text{ [Pa]}$$

$$T_1 = 500 \text{ [K]}$$

$$P_1 = 1 \cdot 10^5 \text{ [Pa]}$$

$$M = 1 \text{ [kg]}$$

"Maximum Work"

$$W_{\max} = (E_1 - T_0 \cdot S_1 + P_0 \cdot V_1) - (E_0 - T_0 \cdot S_0 + P_0 \cdot V_0)$$

$$E_1 = M \cdot C_v \cdot T_1$$

$$E_0 = M \cdot C_v \cdot T_0$$

$$V_1 = M \cdot R \cdot T_1 / P_1$$

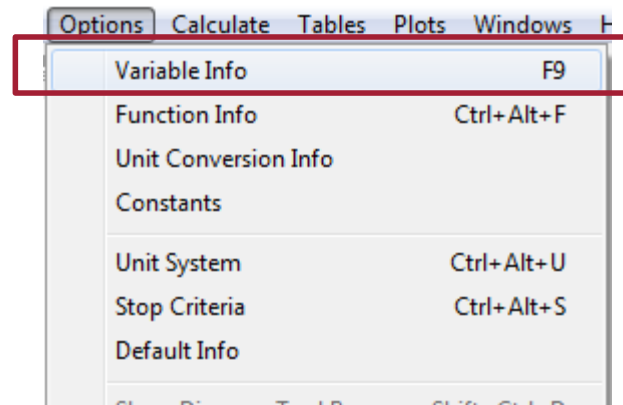
$$V_0 = M \cdot R \cdot T_0 / P_0$$

No unit [J] mentioned here.
Try out what happens if you do
add it here?

5. Setting Units

- Options → Variable Information

Enter units here to ensure unit compatibility



A screenshot of the 'Variable Information' dialog box. It has checkboxes for 'Show array variables' (checked) and 'Show string variables' (unchecked). Below are several icons. The main part is a table with columns: Variable, Guess, Lower, Upper, Display, Units, Key, and Comment. A red box highlights the 'Units' column for the 'M' variable, and a red arrow points from the text box above to this cell.

Variable	Guess	Lower	Upper	Display	Units	Key	Comment
C_p	523	-infinity	infinity	A 3 N	J/kg-K		
C_v	315	-infinity	infinity	A 3 N	J/kg-K		
E_0	94500	-infinity	infinity	A 3 N			
E_1	157500	-infinity	infinity	A 3 N			
M	1	-infinity	infinity	A 3 N	kg		
P_0	1000000	-infinity	infinity	A 0 N	Pa		
P_1	1000000	-infinity	infinity	A 0 N	Pa		

No unit problems!

Main

Unit Settings: SI C kPa J mass deg

$$C_p = 523 \text{ [J/kg-K]}$$

$$C_v = 315 \text{ [J/kg-K]}$$

$$E_0 = 94500 \text{ [J]}$$

$$E_1 = 157500 \text{ [J]}$$

$$M = 1 \text{ [kg]}$$

$$P_0 = 1000000 \text{ [Pa]}$$

$$P_1 = 1000000 \text{ [Pa]}$$

$$R = 208 \text{ [J/kg-K]}$$

$$\rho = 1.784 \text{ [kg/m}^3\text{]}$$

$$S_0 = 0 \text{ [J/K]}$$

$$S_1 = 267.2 \text{ [J/K]}$$

$$T_0 = 300 \text{ [K]}$$

$$T_1 = 500 \text{ [K]}$$

$$V_0 = 0.0624 \text{ [m}^3\text{]}$$

$$V_1 = 0.104 \text{ [m}^3\text{]}$$

$$W_{\max} = 24451 \text{ [J]}$$

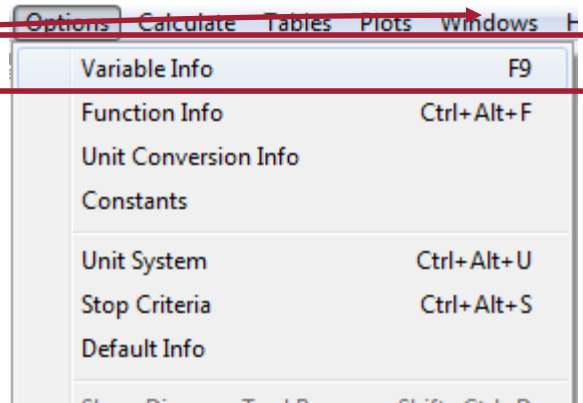
No unit problems were detected.

Calculation time = .0 sec.

6. Initial Guess, Lower and Upper bounds

- Options → Variable Information

Explore 'Computational Flow' and 'Residuals' titles in the windows menu to debug issues with solving systems of equations.

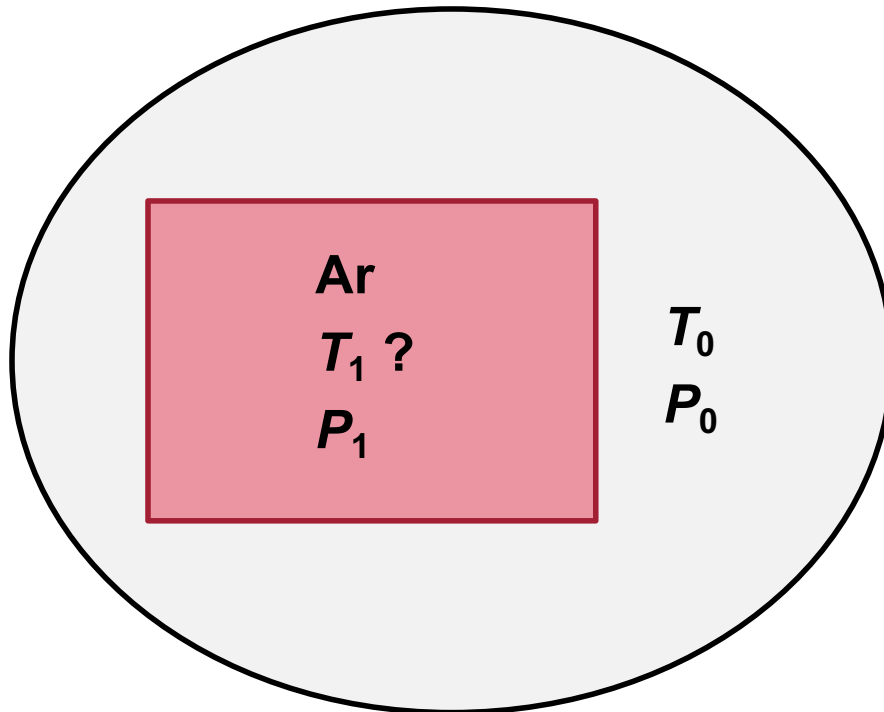


A screenshot of the 'Variable Information' window. The window has a title bar with 'Variable Information' and a close button. Below the title bar are two checkboxes: 'Show array variables' (checked) and 'Show string variables' (unchecked). The main area contains a table with columns: Variable, Guess, Lower, Upper, Display, Units, Key, and Comment. The table is highlighted with a red box. The variable 'M' is highlighted with a red box.

Variable	Guess	Lower	Upper	Display	Units	Key	Comment
C_p	523	-infinity	infinity	A 3 N	J/kg-K		
C_v	315	-infinity	infinity	A 3 N	J/kg-K		
E_0	94500	-infinity	infinity	A 3 N			
E_1	157500	-infinity	infinity	A 3 N			
M	1	-infinity	infinity	A 3 N	kg		
P_0	1000000	-infinity	infinity	A 0 N	Pa		
P_1	1000000	-infinity	infinity	A 0 N	Pa		

Example 2: Parametric Studies

- A gas tank contains 1 kg Argon at $T_1, P_1 = 1$ bar.
- Environment $T_0 = 300$ K, $P_0 = 1$ bar
- **How does T_1 affect the maximum work (W_{max})?**

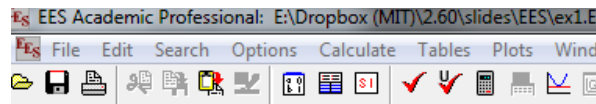


$W_{max}(T_1) ?$

T1 is unknown

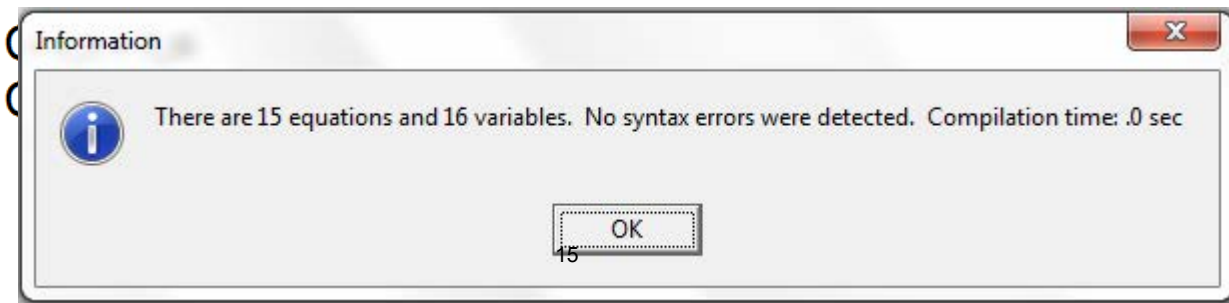
- Start EES and enter the following in the *Equations Window*.
- What are the knowns?

T_0
 P_0
 ~~T_1~~
 P_1
 M
 ρ
 R
 C_p
 C_v



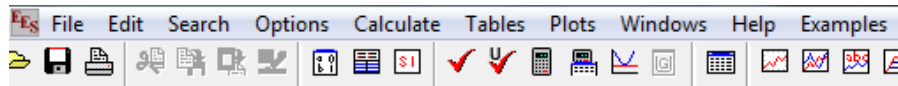
"knowns"
 $T_0 = 300$ [K]
 $P_0 = 1 \cdot 10^5$ [Pa]
 ~~$T_1 = 500$ [K]~~
 $P_1 = 1 \cdot 10^5$ [Pa]
 $M = 1$ [kg]
 $\rho = 1.784$ [kg/m³]
 $R = 208$ [J/kg-K]

Comment out the input parameter to be varied.
Understandably, the system is no longer solvable.



Comments: { } or “ ”

- **Equations**



"knowns"

$$T_0 = 300 \text{ [K]}$$

$$P_0 = 10e5 \text{ [Pa]}$$

$$\{T_1 = 500 \text{ [K]}\}$$

$$P_1 = 10e5 \text{ [Pa]}$$

$$M = 1 \text{ [kg]}$$

$$\rho = 1.784 \text{ [kg/m}^3\text{]}$$

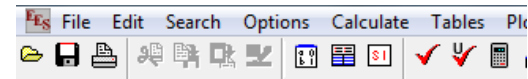
$$R = 208 \text{ [J/kg-K]}$$

$$C_p = 523 \text{ [J/kg-K]}$$

$$C_v = 315 \text{ [J/kg-K]}$$

- Comments

- **Formatted Equations**



knowns

$$T_0 = 300 \text{ [K]}$$

$$P_0 = 1000000 \text{ [Pa]}$$

$$P_1 = 1000000 \text{ [Pa]}$$

$$M = 1 \text{ [kg]}$$

$$\rho = 1.784 \text{ [kg/m}^3\text{]}$$

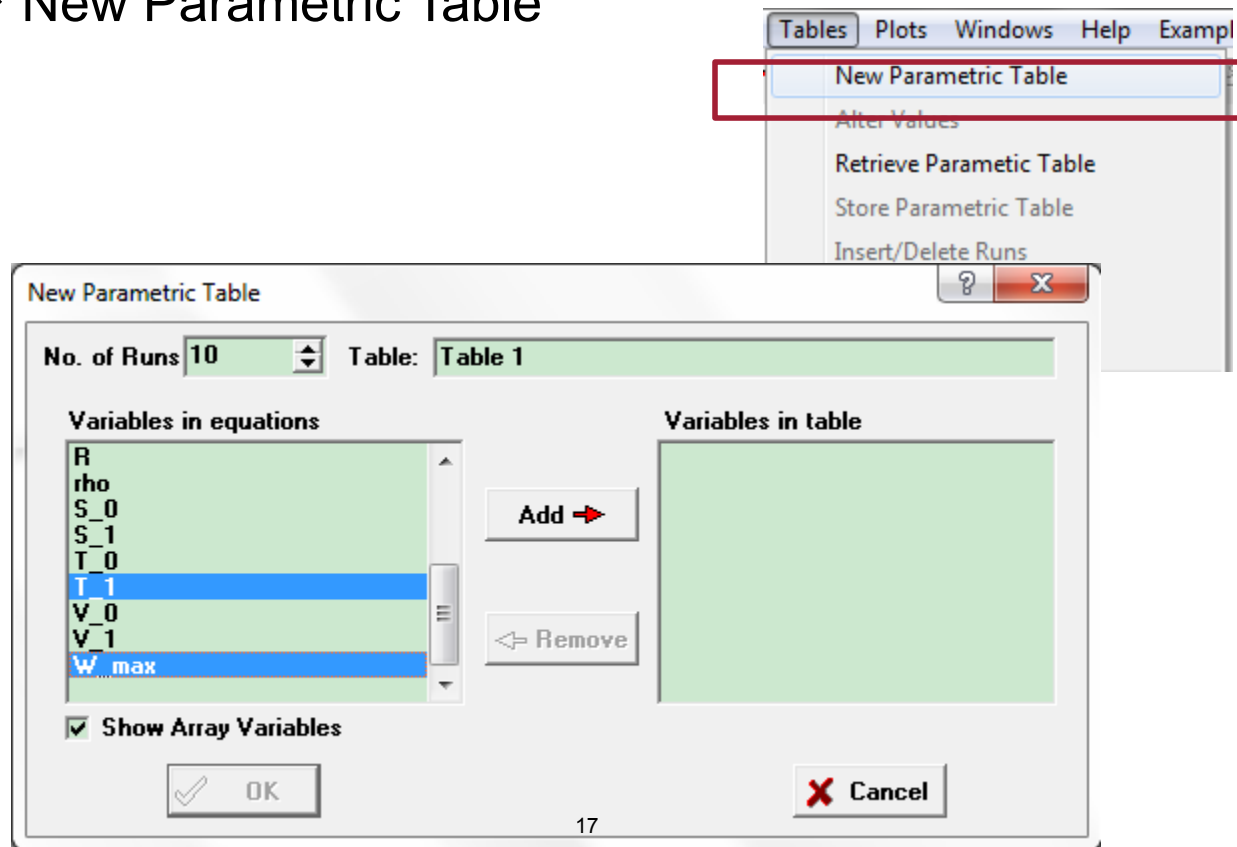
$$R = 208 \text{ [J/kg-K]}$$

$$C_p = 523 \text{ [J/kg-K]}$$

$$C_v = 315 \text{ [J/kg-K]}$$

Parametric Table for T_1 and W_{\max}

- Study the relationship between unknowns.
- Tables → New Parametric Table



Define the range of study

- After chosen the two variables T_1 and W_{\max}


Table 1		
1..10	T_1 [K]	W_{\max} [s]
Run 1		
Run 2		
Run 3		
Run 4		
Run 5		
Run 6		
Run 7		
Run 8		
Run 9		
Run 10		

Set range here

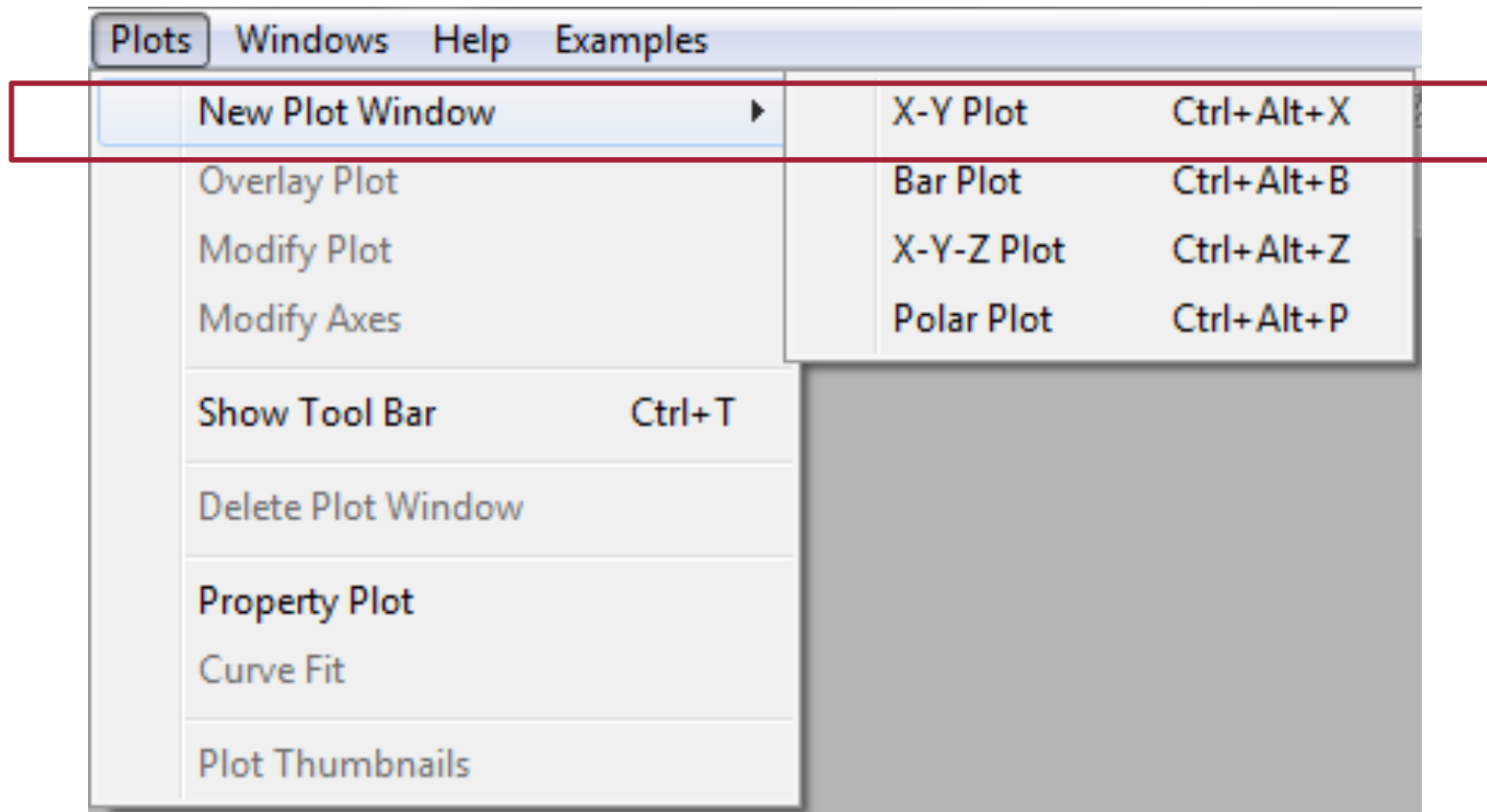
- The range of T_1
 - 300 – 1000 K

Run

- Click the green button on the left

 1..6	1 T_1 [K]	2 W_{\max} [J]
Run 1	300	0
Run 2	400	7163
Run 3	500	24451
Run 4	600	48145
Run 5	700	76259
Run 6	800	107608

Plot the results



Choose X and Y axes

New Plot Setup

Tab Name: Print Description with plot

Description:

X-Axis

Format

Minimum

Maximum

Interval

Linear Log

Grid lines

Y-Axis

Format

Minimum

Maximum

Interval

Linear Log

Grid lines

Table

First Run

Last Run

Spline fit

Automatic update

Add legend item

Show array indices

Show error bars

Line

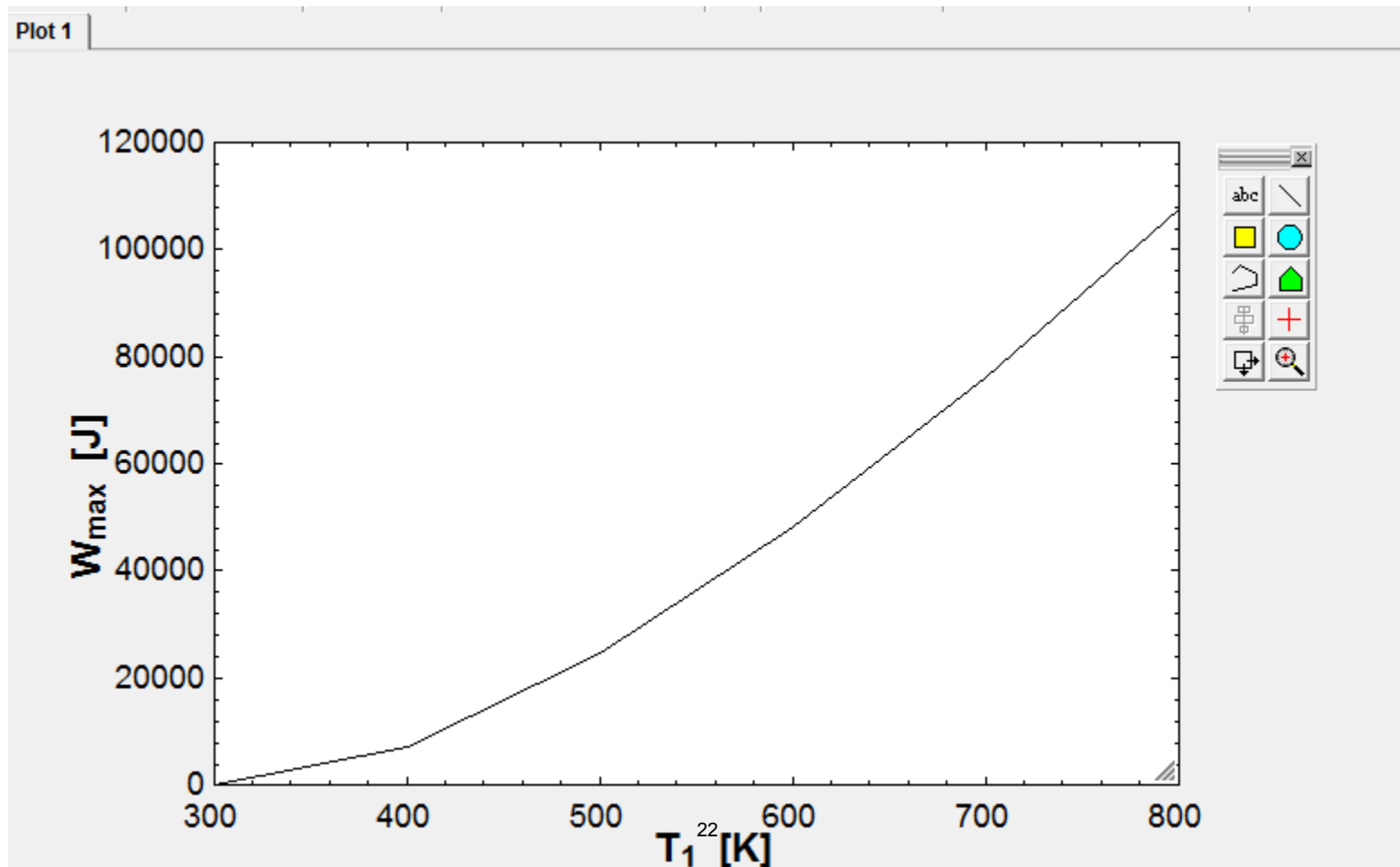
Symbol

Color

OK Cancel

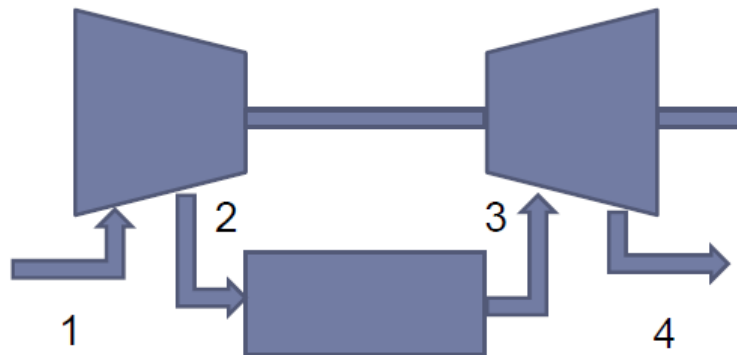
View and Edit the Graph

- Change the plot axes/labels by double clicking on them.



Example 3: Problem

- An open Brayton-cycle engine operates with a compressor-pressure ratio of 4.5 and inlet temperature of 20°C , and a turbine-inlet temperature of 900°C .
- The engine drives an electric generator that produces 25 MWe with a generator efficiency of 90%.
- Find the thermal efficiency, the specific work, and the air-mass-flow rate, if the compressor and turbine efficiencies are 80 percent.



Example 3: Equations

Assume air as ideal gas with constant C_p

$$C_p = 1.005$$

$$k = 1.40$$

$$\frac{T_{2s}}{T_1} = r_c^{\frac{k-1}{k}}$$

$$\frac{T_{2s} - T_1}{T_2 - T_1} = \eta_c$$

$$w_c = C_p (T_2 - T_1)$$

$$q_{in} = C_p (T_3 - T_2)$$

$$\frac{T_{4s}}{T_3} = 1/r_t^{\frac{k-1}{k}}$$

$$\frac{T_4 - T_3}{T_{4s} - T_3} = \eta_t$$

$$w_t = C_p (T_3 - T_4)$$

$$\eta_{th} = \frac{w_t - w_c}{q_{in}}$$

$$\dot{W} = \dot{W}_{gen} / \eta_{gen}$$

$$\dot{m} = \dot{W} / (w_t - w_c)$$

Compressor

Turbine

“Assume air as ideal gas with constant C_p ”

$$C_p = 1.005 \text{ [kJ/kg.K]}$$

$$K = 1.40$$

$$T_{2s}/T_1 = r_{p-c}^{(k-1)/k}$$

$$T_2 = T_1 + 1/\eta_c (T_{2s} - T_1)$$

$$W_c = C_p (T_2 - T_1)$$

$$Q_{in} = C_p (T_3 - T_2)$$

$$T_{4s}/T_3 = 1/r_{p-t}^{(k-1)/k}$$

$$T_4 = T_3 - \eta_t (T_3 - T_{4s})$$

$$W_t = C_p (T_3 - T_4)$$

$$\eta_{th} = (W_t - W_c) / Q_{in}$$

$$W_{dot} = W_{dot_gen} / \eta_g$$

$$m_{dot} = W_{dot} / (W_t - W_c)$$

Example 3: Equations

Equations Window

```
C_p = 1005 [J/kg-K]
k = 1.40
eta_c = 0.80
eta_t = 0.80
r_p_c = 4.5
r_p_t = 4.5
eta_e = 0.90
T_min = 293 [K]
T_max = 1173 [K]
W_dot_e = 25000000 [W]
W_dot_m = W_dot_e/eta_e
```

"Simple Brayton Cycle"

"compressor"

```
T1 = T_min
Ts2 = T1 * (r_p_c)^((k-1)/k)
T2 = T1 + (1/eta_c)*(Ts2 - T1)
w_c = C_p * (T2 - T1)
```

"turbine"

```
T3 = T_max
Ts4 = T3 * (1/r_p_t)^((k-1)/k)
T4 = T3 - eta_t * (T3 - Ts4)
w_t = C_p * (T3 - T4)
w_net = w_t - w_c
q_in = C_p * (T3 - T2)
eta_th = w_net/q_in
m_dot = W_dot_m/w_net
```

"Assume air as ideal gas with constant Cp"

$$C_p = 1.005 \text{ [kJ/kg.K]}$$

$$K = 1.40$$

$$T_{2s}/T_1 = r_{p-c}^{(k-1)/k}$$

$$T_2 = T_1 + 1/\eta_c(T_{2s} - T_1)$$

$$W_c = C_p(T_2 - T_1)$$

$$Q_{in} = C_p(T_3 - T_2)$$

$$T_{4s}/T_3 = 1/r_{p-t}^{(k-1)/k}$$

$$T_4 = T_3 - \eta_t(T_3 - T_{4s})$$

$$W_t = C_p(T_3 - T_4)$$

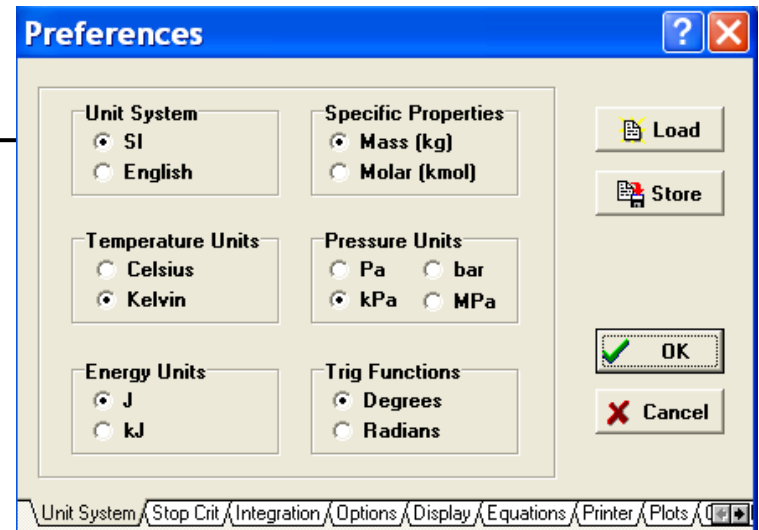
$$\eta_{th} = (W_t - W_c)/Q_{in}$$

$$W_{dot} = W_{dot_gen}/\eta_g$$

$$m_{dot} = W_{dot}/(W_t - W_c)$$

Example 3: Units

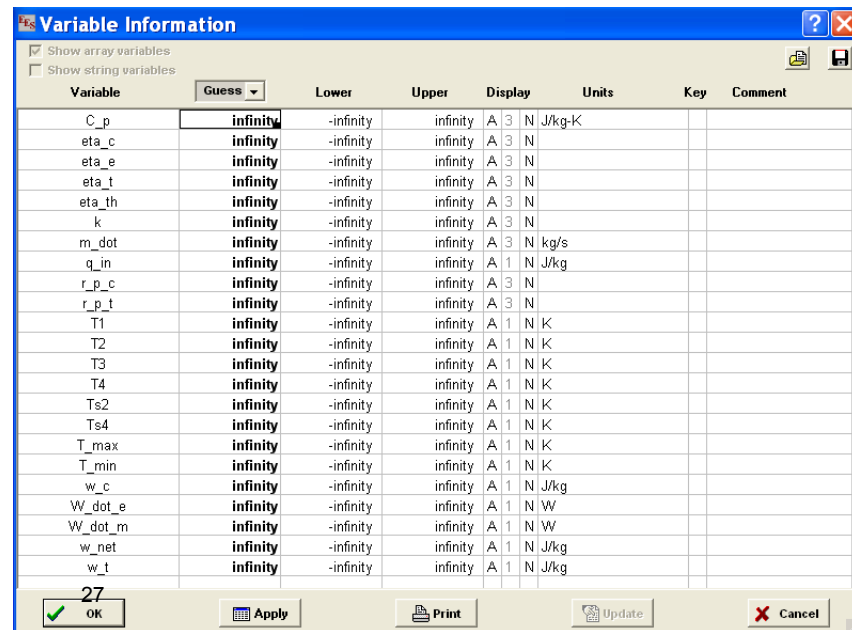
- Options → Variable Information



Variable	Guess	Lower	Upper	Display	Units	Key	Comment
C_p	infinity	-infinity	infinity	A 3 N	J/kg-K		
eta_c	infinity	-infinity	infinity	A 3 N			
eta_e	infinity	-infinity	infinity	A 3 N			
eta_t	infinity	-infinity	infinity	A 3 N			
eta_th	infinity	-infinity	infinity	A 3 N			
k	infinity	-infinity	infinity	A 3 N			
m_dot	infinity	-infinity	infinity	A 3 N			
q_in	infinity	-infinity	infinity	A 1 N			
r_p_c	infinity	-infinity	infinity	A 3 N			
r_p_t	infinity	-infinity	infinity	A 3 N			
T1	infinity	-infinity	infinity	A 1 N			
T2	infinity	-infinity	infinity	A 1 N			
T3	infinity	-infinity	infinity	A 1 N			
T4	infinity	-infinity	infinity	A 1 N			
Ts2	infinity	-infinity	infinity	A 1 N			
Ts4	infinity	-infinity	infinity	A 1 N			
T_max	infinity	-infinity	infinity	A 1 N	K		
T_min	infinity	-infinity	infinity	A 1 N	K		
w_c	infinity	-infinity	infinity	A 1 N			
W_dot_e	infinity	-infinity	infinity	A 1 N	W		
W_dot_m	infinity	-infinity	infinity	A 1 N			
w_net	infinity	-infinity	infinity	A 1 N			
w_t	infinity	-infinity	infinity	A 1 N			

Example 3: Initial Guess

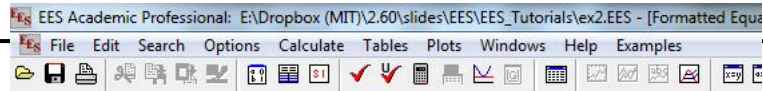
- It is usually a good idea to set the guess values and (possibly) the lower and upper bounds for the variables before attempting to solve the equations.
- The Variable Information dialog contains a line for each variable appearing in the Equations window. By default, each variable is given a guess value of 1.0 with lower and upper bounds of negative and positive infinity before solving.



The screenshot shows the 'Variable Information' dialog box with a table of variables. The table has columns for Variable, Guess, Lower, Upper, Display, Units, Key, and Comment. The 'Guess' column is set to 'infinity' for all variables, and the 'Lower' and 'Upper' columns are set to '-infinity' and 'infinity' respectively. The 'Display' column shows the variable name and its units, and the 'Key' column shows the variable name.

Variable	Guess	Lower	Upper	Display	Units	Key	Comment
C_p	infinity	-infinity	infinity	A 3 N	J/kg-K		
eta_c	infinity	-infinity	infinity	A 3 N			
eta_e	infinity	-infinity	infinity	A 3 N			
eta_t	infinity	-infinity	infinity	A 3 N			
eta_th	infinity	-infinity	infinity	A 3 N			
k	infinity	-infinity	infinity	A 3 N			
m_dot	infinity	-infinity	infinity	A 3 N	kg/s		
q_in	infinity	-infinity	infinity	A 1 N	J/kg		
r_p_c	infinity	-infinity	infinity	A 3 N			
r_p_t	infinity	-infinity	infinity	A 3 N			
T1	infinity	-infinity	infinity	A 1 N	K		
T2	infinity	-infinity	infinity	A 1 N	K		
T3	infinity	-infinity	infinity	A 1 N	K		
T4	infinity	-infinity	infinity	A 1 N	K		
Ts2	infinity	-infinity	infinity	A 1 N	K		
Ts4	infinity	-infinity	infinity	A 1 N	K		
T_max	infinity	-infinity	infinity	A 1 N	K		
T_min	infinity	-infinity	infinity	A 1 N	K		
w_c	infinity	-infinity	infinity	A 1 N	J/kg		
W_dot_e	infinity	-infinity	infinity	A 1 N	W		
W_dot_m	infinity	-infinity	infinity	A 1 N	W		
w_net	infinity	-infinity	infinity	A 1 N	J/kg		
w_t	infinity	-infinity	infinity	A 1 N	J/kg		

Example 3: Mathematical Notation



$$C_p = 1005 \text{ [J/kg-K]}$$

$$k = 1.4$$

$$\eta_c = 0.8$$

$$\eta_t = 0.8$$

$$r_{p,c} = 4.5$$

$$r_{p,t} = 4.5$$

$$T_{\min} = 293 \text{ [K]}$$

$$T_{\max} = 1173 \text{ [K]}$$

Simple Brayton Cycle

compressor

$$T_1 = T_{\min}$$

$$T_{s2} = T_1 \cdot r_{p,c}^{\left[\frac{k-1}{k} \right]}$$

$$T_2 = T_1 + \frac{1}{\eta_c} \cdot (T_{s2} - T_1)$$

$$w_c = C_p \cdot (T_2 - T_1)$$

Example 3: Solution

- The display and other defaults can easily be changed with the Default information command in the Options menu.

Main

Unit Settings: SI K Pa J mass deg

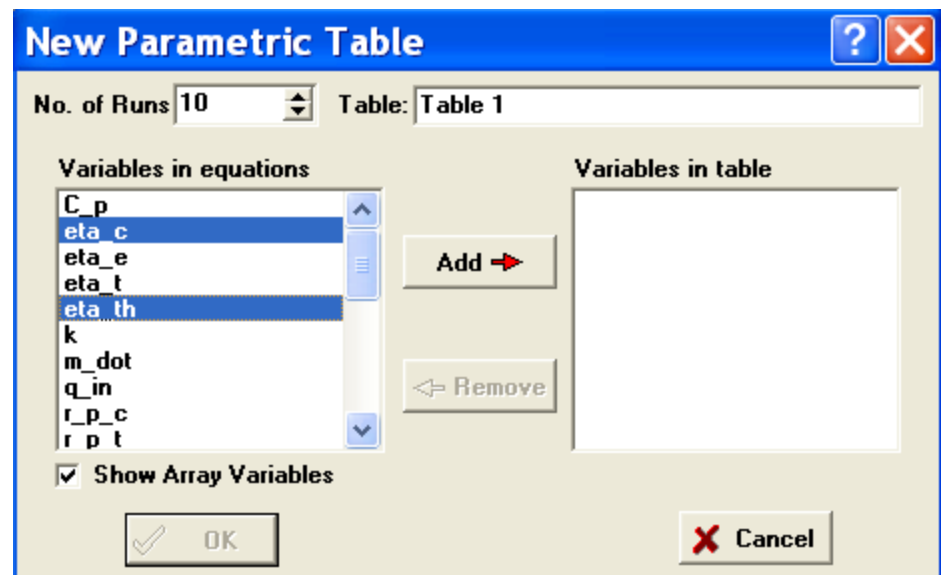
$C_p = 1005$ [J/kg-K]	$\eta_c = 0.8$	$\eta_e = 0.9$	$\eta_t = 0.8$	$\eta_{th} = 0.192$
$k = 1.4$	$\dot{m} = 210.7$ [kg/s]	$q_{in} = 686795$ [J/kg]	$r_{p,c} = 4.5$	$r_{p,t} = 4.5$
$T_1 = 293$ [K]	$T_2 = 489.6$ [K]	$T_3 = 1173$ [K]	$T_4 = 845.2$ [K]	$T_{s2} = 450.3$ [K]
$T_{s4} = 763.2$ [K]	$T_{max} = 1173$ [K]	$T_{min} = 293$ [K]	$w_c = 197605$ [J/kg]	$\dot{W}_e = 2.500E+07$ [W]
$\dot{W}_m = 2.778E+07$ [W]	$w_{net} = 131835$ [J/kg]	$w_t = 329440$ [J/kg]		

No unit problems were detected.

Calculation time = .0 sec.

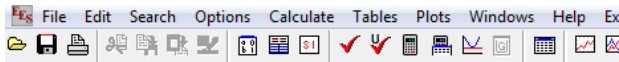
Example 3: Parametric Studies

- Tables → New Parametric Table
- A dialog will be displayed listing the variables appearing in the Equations window.
- In this case, we will construct a table containing the variables eta_c and eta_th.
- Click on eta_c from the variable list on the left. This will cause it to be highlighted and the Add button will become active. Repeat for eta_th, using the scroll bar to bring the variable into view if necessary.
- As a short cut, you can double-click on the variable name in the list on the left to move it to the list on the right. You can also select multiple variables at one time.
- Click the Add button to move the selected variables into the list on the right and then click the OK button to create the table.



Example 3: Equations

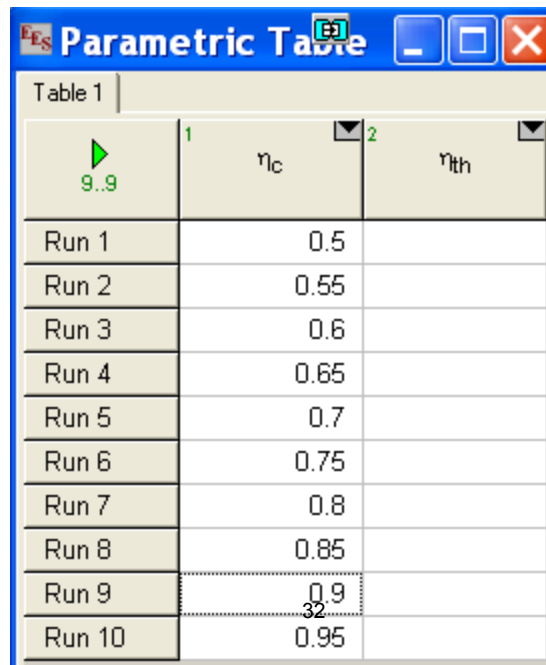
- Parametric Table works much like a spreadsheet. You can type numbers directly into the cells. Numbers that you enter are shown in black and produce the same effect as if you set the variable to that value with an equation in the Equations window.
- Delete the $\eta_c = 0.8$ equation currently in the Equations window or enclose it in comment brackets $\{ \}$. This equation will not be needed because the value of η_c will be set in the table.



```
C_p = 1005 [J/kg-K]
k = 1.40
{eta_c = 0.80}
eta_t = 0.80
r_p_c = 4.5
r_p_t = 4.5
eta_e = 0.90
T_min = 293 [K]
T_max = 1173 [K]
W_dot_e = 25000000 [W]
W_dot_m = W_dot_e/eta_e
```

Example 3: Parametric Table

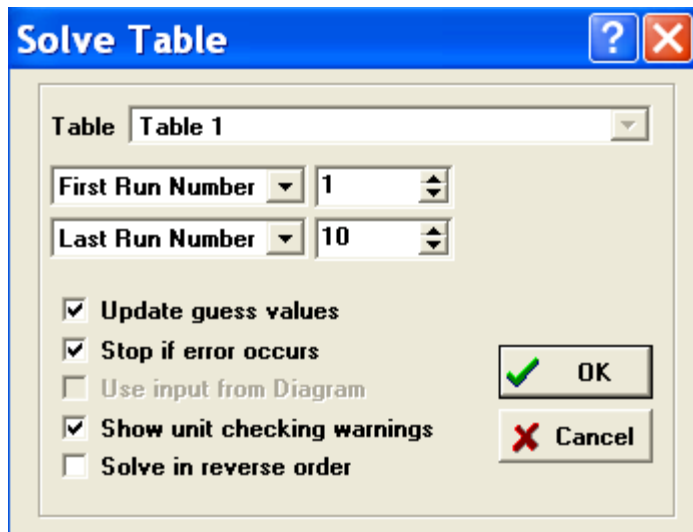
- Now enter values of η_c in the table for which η_{th} is to be determined. Values of η_c between 0.5 to 0.95 have been chosen for this example.
- (The values could also be automatically entered using Alter Values in the Tables menu or by using the Alter Values control at the upper right of each table column header.)



1	2	3
0.5		
0.55		
0.6		
0.65		
0.7		
0.75		
0.8		
0.85		
0.9		
0.95		

Example 3: Solution

- Calculate → Solve Table
 - The Solve Table dialog window will appear, allowing you to choose the runs for which calculations will be done.
 - When the Update Guess Values control is selected, the solution for the last run will provide guess values for the current run. Click the OK button.
 - When the calculations are completed, the calculated values of η_{th} will be entered into the table.



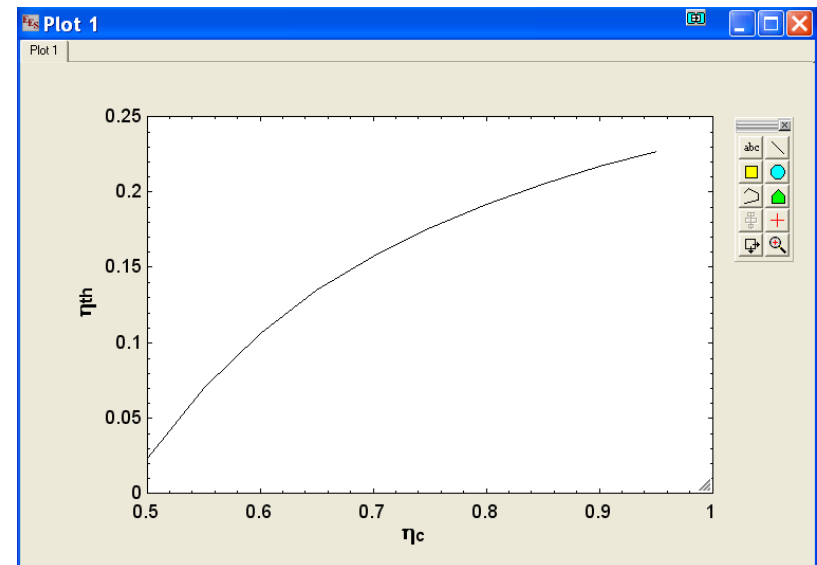
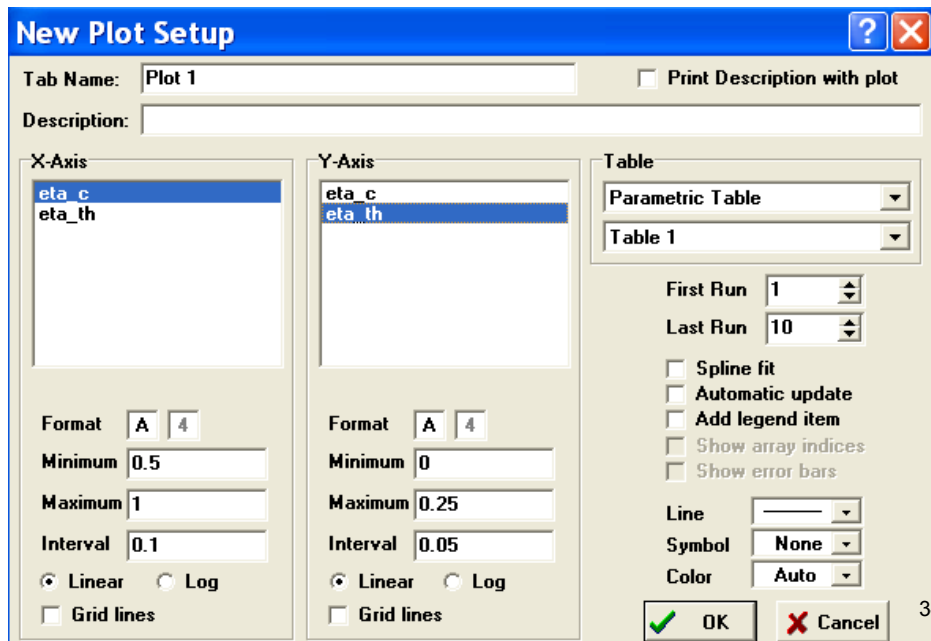
Parametric Table

Table 1

1..10	η_c	η_{th}
Run 1	0.5	0.02336
Run 2	0.55	0.07038
Run 3	0.6	0.1062
Run 4	0.65	0.1345
Run 5	0.7	0.1573
Run 6	0.75	0.1762
Run 7	0.8	0.192
Run 8	0.85	0.2054
Run 9	0.9	0.217
Run 10	0.95	0.2271

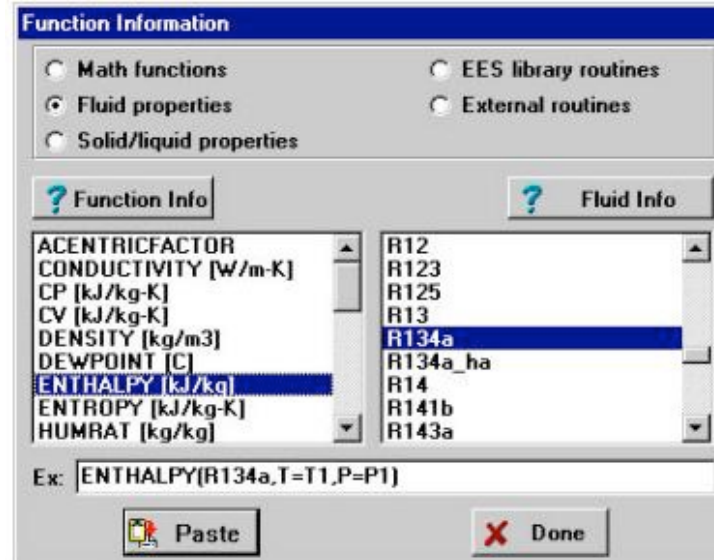
Example 3: Plots

- Plot → New Plot Window
 - The New Plot Setup dialog window will appear.
 - Choose eta_c to be the X-axis by clicking on eta_c in the X-axis list. Click on eta_th in the Y-axis list. You may wish to adjust the scale limits or add grid lines. When you click OK, the plot will be constructed and the plot window will appear.



Thermophysical Functions

- EES has built-in property data for many engineering fluids. They are accessed as functions taking temperature, pressure etc. as arguments.
- These functions may be accessed from the Function Information Window:



Thermophysical Functions – Example 1

$$V_1 = M \cdot R \cdot T_1 / P_1$$

$$V_0 = M \cdot R \cdot T_0 / P_0$$

$$V_1 = M \cdot \text{volume}(\text{Argon}, T=T_1, P=P_1)$$

$$V_0 = M \cdot \text{volume}(\text{Argon}, T=T_0, P=P_0)$$




The two ways of calculating volume are not entirely equivalent: the first set uses the ideal gas assumption.

EES gets its thermophysical properties from a variety of sources.

See the entire catalog of thermophysical functions/properties at:

http://fchart.com/ees/eeshelp/fluid_property_information.htm

Recap: Formatting rules

- Upper and lower case → **NOT** distinguished.
- Blank lines and spaces → **ignored**
- Comments must enclosed within **{ }** or **“ ”**
 - In effect for lines
 - **“ ”** comments showed in Formatted Equations (**recommended Psets format**)
- Variable **start with a letter**
- Array variables → **ArrayName[Index]**
- Equations separated by newline  or **;**
- Units → in **[]**

Happy EES'ing !

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2.60J Fundamentals of Advanced Energy Conversion
Spring 2020

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